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On the Application of Bio-Inspired Optimization Algorithms to Fuzzy C-Means Clustering of Time Series

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Keywords: Data Mining, Differential Evolution, Distance Metrics, Fuzzy C-Means Clustering, Genetic Algorithms, Overfitting, Particle Swarm Optimization, Time Series.

Abstract: Fuzzy *c*-means clustering (FCM) is a clustering method which is based on the partial membership concept. As with the other clustering methods, FCM applies a distance to cluster the data. While the Euclidean distance is widely-used to perform the clustering task, other distances have been suggested in the literature. In this paper we study the use of a weighted combination of metrics in FCM clustering of time series where the weights in the combination are the outcome of an optimization process using differential evolution, genetic algorithms, and particle swarm optimization as optimizers. We show how the overfitting phenomenon interferes in the optimization process that the optimal results obtained during the training stage degrade during the testing stage as a result of overfitting.

1 INTRODUCTION

A *time series* is an ordered collection of observations at intervals of time points. These observations are real-valued measurements of a particular phenomenon.

Time series arise in disciplines ranging from medicine, and finance to meteorology, and engineering, to name a few. For this reason, time series data mining has received increasing attention over the last two decades.

Time series data mining handles several tasks such as classification, clustering, similarity search, motif discovery, anomaly detection, and others. All these tasks are based on the concept of similarity which is measured using a *similarity measure* or a *distance metric*.

Bio-inspired Optimization, also called *nature-inspired Optimization*, is a branch of optimization which, as the name suggests, is inspired by natural phenomena. It has diverse applications in engineering, finance, economics and other domains. In computer science bio-inspired optimization has been applied in several fields such as networking, data mining, and software engineering.

As with other fields of computer science, different papers have proposed applying bio-inspired

optimization to data mining tasks (Muhammad Fuad, 2012a, 2012b, 2014a).

In this work we study the application of three well-known bio-inspired optimization algorithms: differential evolution, genetic algorithms, and particle swarm optimization, to the task of FCM clustering of time series where these optimizers are used to obtain the optimal values of the weights assigned to the distances that constitute a combination of metrics used in the FCM clustering task.

The rest of the paper is organized as follows; in Section 2 we present background on time series, clustering, similarity measures, and overfitting. In Section 3 we introduce the proposed method which we test in Section 4. The results of the experiments are discussed in Section 5. We conclude this paper with Section 6.

2 BACKGROUND

A time series is an ordered collection of observed data. Formally, a time series S of length n is defined as;

$$S = \langle s_1 = \langle v_1, t_1 \rangle, s_2 = \langle v_2, t_2 \rangle, \dots, s_n = \langle v_n, t_n \rangle \rangle.$$

These values can be real numbers or multi-dimensional vectors.

Data mining is the analysis of data with the goal of uncovering hidden knowledge in it. Data mining includes several tasks such as classification, clustering, anomaly detection, and others. Processing these different tasks usually requires extensive computing.

Clustering is a fundamental data mining task. Clustering seeks for the grouping tendencies of the data. Clustering can be defined as the process of finding natural groups, called *clusters*, in a dataset. The objective of the clustering task is to find the most homogeneous clusters that are as distinct as possible from other clusters. This grouping should maximize inter-cluster variance while minimizing intra-cluster variance (Esling and Agon, 2012). There are several basic clustering methods, those which concern time series data are *Partition-based Clustering*, *Hierarchical-based Clustering*, and *Model-based Clustering* (Liao, 2005). Figure 1 shows the general scheme of the partition-based clustering algorithm.

Fuzzy c-means Clustering (FCM), is a partition-based clustering method. FCM is based on the concept of *Partial Membership* where the allocation of the data point to the centers becomes a matter of degree – the higher the membership value, the stronger its bond to the cluster (Krzysztof *et al*, 2007).

The objective of FCM clustering is to minimize the measure:

$$E_m = \sum_{p=1}^c \sum_{i=1}^n u_{pi}^m d^2(z_p, x_i) \quad (1)$$

Where u is the fuzzy membership and m is fuzzy exponent. In the following we present a brief description of FCM (Maulik *et al*, 2011). FCM starts with random c initial cluster centers. In the following step, and at every iteration, the algorithm finds the fuzzy membership of each data object to every cluster using the following equation:

$$u_{pi} = \frac{1}{\sum_{j=1}^c \left(\frac{d(z_p, x_i)}{d(z_j, x_i)} \right)^{\frac{2}{m-1}}} \quad (2)$$

for $1 \leq p \leq c, 1 \leq i \leq n$.

Algorithm Clustering

Require c the number of clusters, n data objects.

1. (Randomly) initialize the cluster centers.
 2. For each data object, and for each center, compute the distance between this data object and the cluster center, assign the data object to the closest center.
 3. Update the cluster centers.
 4. Repeat steps 2-3 until convergence.
-

Figure 1: The partition-based clustering algorithm.

Based on the membership values, the cluster centers are recomputed using the following equation:

$$z_p = \frac{\sum_{i=1}^n (u_{pi})^m x_i}{\sum_{i=1}^n (u_{pi})^m} \quad (3)$$

$$1 \leq p \leq c$$

The algorithm continues until a stopping condition terminates it.

2.1 Overfitting

One of the frequent problems encountered when generating a data mining model is *overfitting*. Overfitting results when the provisional model tries to account for every possible trend or structure in the training set. In overfitting the algorithm memorizes the training set at the expense of generalizability to the validation set (Larose, 2005). There are several reasons for overfitting, and overfitting-avoidance is an important research topic in data mining. The question of overfitting is particularly important when applying bio-inspired algorithms to perform data mining tasks (Muhammad Fuad, 2014b).

2.2 Similarity Measures

Measuring the similarity between two time series, on which clustering and other data mining tasks are based, is not a trivial task. There have been several distance metrics and similarity measures proposed in

the literature. The most common distance metric, however, is the *Minkowski distance*, which is defined between two time series S and T as:

$$L_p(S, T) = \sqrt[p]{\sum_{i=1}^n (s_i - t_i)^p} \quad (4)$$

If $p=1$, the distance is called the *Manhattan distance* or the *city block distance*. If $p = \infty$, it is called the *infinity distance* or the *chessboard distance*, and if $p = 2$ we get the widely-known *Euclidean distance*. Applying any of these distances takes linear time in the length of the series.

3 APPLYING A COMBINATION OF DISTANCES TO FCM CLUSTERING

The idea of applying a combination of distance metrics or similarity measures to handle data mining tasks has been proposed by different researchers. In (Bustos and Skopal, 2006) the authors propose using a weighted combination of several metrics to handle the similarity search problem. The novelty of our work is that we address this as an optimization problem. More formally, we FCM cluster the time using a weighted combination of distance metrics defined as:

$$d(S, T) = \sum_{i=1}^n \omega_i d_i(S, T) \quad (5)$$

where $\omega_i \in [0, 1]$.

In order to perform this optimization process, and for comparison reasons, we choose to use three of the most powerful bio-inspired optimization algorithms which are *Differential Evolution*, *Particle Swam Optimization*, and *Genetic Algorithms*.

3.1 Differential Evolution

Differential Evolution (DE) is an evolutionary optimization algorithm which is particularly adapted to solve continuous optimization problems.

DE starts with a population of *PopSize* vectors each of which is of *nbp* dimensions, where *nbp* is the number of parameters (in our problem, *nbp* is the number of distances in the combination given by equation (5)). In the next step for each individual \vec{T}_i (called the *target vector*) of the population three mutually distinct individuals $\vec{V}_{r1}, \vec{V}_{r2}, \vec{V}_{r3}$ and

different from \vec{T}_i are chosen randomly from the population. The *donor vector* \vec{D} is formed as a weighted difference of two of $\vec{V}_{r1}, \vec{V}_{r2}, \vec{V}_{r3}$, added to the third; i.e. $\vec{D} = \vec{V}_{r1} + F(\vec{V}_{r2} - \vec{V}_{r3})$. F is called the *mutation factor*.

The *trial vector* \vec{R} is formed from elements of the target vector \vec{T}_i and elements of the donor vector \vec{D} according to different schemes. In this paper we choose the crossover scheme presented in (Feoktistov, 2006). In this scheme an integer *Rnd* is chosen randomly among the dimensions $[1, nbp]$.

Then the trial vector \vec{R} is formed as follows:

$$t_i = \begin{cases} t_{i,r1} + F(t_{i,r2} - t_{i,r3}) & \text{if } (rand_{i,j}[0,1] < C_r) \vee (Rnd=i) \\ t_{i,j} & \text{otherwise} \end{cases} \quad (6)$$

where $i = 1, \dots, nbp$. C_r is the *crossover constant*. In the next step DE selects which of the trial vector and the target vector will survive in the next generation and which will die out. This selection is based on which of \vec{T}_i and \vec{R} yields a better value of the fitness function. DE continues for a number of generations *NrGen*.

3.2 The Genetic Algorithm

The *Genetic Algorithm* (GA) is another member of the evolutionary algorithms family. GA has the following elements: a population of individuals, selection according to fitness, crossover to produce new offspring, and random mutation of the new offspring (Mitchell, 1996).

The first step of GA is defining the problem variables and the fitness function. A particular configuration of variables produces a certain value of the fitness function and the objective of GA is to find the values of the parameters that optimize the fitness function. As with DE, GA starts with a population of *PopSize* vectors (also called *chromosomes*) each of which is of *nbp* dimensions. Each chromosome represents a possible solution to the problem at hand. The fitness function of each chromosome is evaluated. The next step is *selection*. The purpose of this process is to determine which chromosomes are fit enough to survive and possibly produce offspring and which will die out. This is decided according to the fitness function of each chromosome. The percentage of chromosomes selected for mating is denoted by *sRate*. *Crossover* is the next step in which offspring of two parents are produced to enrich the population with fitter

Table 1: The FCM clustering errors on the training sets and testing sets for DE, PSO, and GA, together with the FCM clustering errors for L_1 , L_2 , L_∞ .

| Dataset | L_1 | L_2 | L_∞ | DE | | PSO | | GA | |
|------------------------|-------|-------|------------|-------------|------------|-------------|------------|-------------|------------|
| | | | | E_{train} | E_{test} | E_{train} | E_{test} | E_{train} | E_{test} |
| Beef | 0.49 | 0.49 | 0.45 | 0.36 | 0.48 | 0.36 | 0.46 | 0.36 | 0.49 |
| CBF | 0.48 | 0.50 | 0.51 | 0.30 | 0.51 | 0.30 | 0.51 | 0.30 | 0.49 |
| CinC_ECG_torso | 0.75 | 0.77 | 0.77 | 0.42 | 0.69 | 0.51 | 0.75 | 0.51 | 0.76 |
| Coffee | 0.50 | 0.50 | 0.46 | 0.36 | 0.51 | 0.36 | 0.50 | 0.36 | 0.50 |
| ECG200 | 0.30 | 0.28 | 0.25 | 0.22 | 0.28 | 0.26 | 0.30 | 0.25 | 0.26 |
| ECGFiveDays | 0.50 | 0.48 | 0.46 | 0.45 | 0.50 | 0.45 | 0.49 | 0.45 | 0.50 |
| FaceFour | 0.43 | 0.57 | 0.68 | 0.24 | 0.56 | 0.26 | 0.57 | 0.29 | 0.46 |
| FISH | 0.67 | 0.64 | 0.69 | 0.56 | 0.62 | 0.57 | 0.63 | 0.57 | 0.63 |
| Gun_Point | 0.47 | 0.48 | 0.46 | 0.36 | 0.47 | 0.36 | 0.47 | 0.38 | 0.48 |
| Lighting7 | 0.67 | 0.82 | 0.67 | 0.54 | 0.64 | 0.60 | 0.70 | 0.58 | 0.66 |
| MedicalImages | 0.84 | 0.79 | 0.72 | 0.70 | 0.82 | 0.72 | 0.82 | 0.72 | 0.79 |
| MoteStrain | 0.17 | 0.16 | 0.27 | 0.10 | 0.17 | 0.15 | 0.15 | 0.15 | 0.17 |
| OliveOil | 0.52 | 0.33 | 0.30 | 0.14 | 0.46 | 0.22 | 0.39 | 0.25 | 0.36 |
| OSULeaf | 0.80 | 0.82 | 0.86 | 0.71 | 0.79 | 0.74 | 0.83 | 0.74 | 0.80 |
| SonyAIBORobotSurfaceII | 0.23 | 0.22 | 0.23 | 0.15 | 0.23 | 0.15 | 0.23 | 0.15 | 0.23 |
| SwedishLeaf | 0.77 | 0.80 | 0.88 | 0.69 | 0.71 | 0.70 | 0.81 | 0.70 | 0.80 |
| Symbols | 0.38 | 0.39 | 0.29 | 0.09 | 0.40 | 0.14 | 0.40 | 0.14 | 0.38 |
| synthetic_control | 0.54 | 0.53 | 0.47 | 0.35 | 0.57 | 0.39 | 0.54 | 0.42 | 0.51 |
| Trace | 0.48 | 0.48 | 0.43 | 0.38 | 0.48 | 0.39 | 0.45 | 0.39 | 0.46 |
| TwoLeadECG | 0.47 | 0.47 | 0.47 | 0.31 | 0.47 | 0.35 | 0.49 | 0.35 | 0.47 |
| yoga | 0.48 | 0.49 | 0.48 | 0.43 | 0.48 | 0.43 | 0.48 | 0.48 | 0.48 |

chromosomes. GA also applies a mechanism called *mutation* through which a percentage $mRate$ of genes is randomly altered. The above steps repeat for $NrGen$ generations.

3.3 Particle Swarm Optimization

Particle Swarm Optimization (PSO) is a member of a family of naturally-inspired optimization algorithms called *Swarm Intelligence* (SI). PSO is inspired by the social behavior of some animals, such as bird flocking or fish schooling (Haupt and Haupt, 2004). In PSO individuals, called *particles*, follow three rules a) *Separation*: each particle avoids getting too close to its neighbors. b) *Alignment*: each particle steers towards the general heading of its neighbors, and c) *Cohesion*: each particle moves towards the average position of its neighbors.

PSO starts by initializing a swarm of $PopSize$ particles at random positions \vec{X}_i^0 and velocities \vec{V}_i^0 where $i \in \{1, \dots, PopSize\}$. In the next step the fitness function of each position, and for each iteration, is evaluated. The positions \vec{X}_i^{k+1} and velocities \vec{V}_i^{k+1} are updated at time step $(k+1)$ according to the following formulae:

$$\begin{aligned} \vec{V}_i^{k+1} &= \omega \cdot \vec{V}_i^k + \varphi_G (\vec{G}^k - \vec{X}_i^k) + \varphi_L (\vec{L}_i^k - \vec{X}_i^k) \\ \vec{X}_i^{k+1} &= \vec{X}_i^k + \vec{V}_i^{k+1} \end{aligned} \quad (8)$$

where $\varphi_G = r_G \cdot a_G$, $\varphi_L = r_L \cdot a_L$, $r_G, r_L \rightarrow U(0,1)$, $\omega, a_L, a_G \in \mathbb{R}$, \vec{L}_i^k is the best position found by particle i , \vec{G}^k is the global best position found by the whole swarm, ω is called the *inertia*, a_L is called the *local acceleration*, and a_G is called the *global acceleration*. The algorithm continues for a number of iterations.

4 EXPERIMENTS

The objective of our experiments is to see if a weighted combination of the Euclidean distance, the Manhattan distance, and the infinity distance will give better FCM clustering results than when each of these distances is used as a stand-alone distance. More formally, we FCM cluster the data using the following combination:

$$d(S, T) = \omega_1 L_1(S, T) + \omega_2 L_2(S, T) + \omega_3 L_\infty(S, T) \quad (9)$$

As indicated earlier the weights ω_i are obtained

through an optimization process that minimizes the FCM cluttering error as given by equation (1).

We tested our method on a variety of time series datasets from the UCR archive (Keogh *et al.*, 2011). We meant to choose datasets of different sizes and lengths to get unbiased results.

In our experiments we compared the three optimizers presented in Section 3 in terms of FCM clustering error.

We used the same control parameters for the three optimizers (except for those which are proper to that certain optimizer). *PopSize* was set to 16 and *NrGen* was set to 100.

For each dataset, and for each optimizer, the experiment consists of two stages; the training stage and the testing stage. In the training stage we perform an optimization process where the parameters of the optimization problem are the weights $\omega_i; i \in \{1,2,3\}$. The outcome of this optimization problem is the weights ω_i which yield the minimum FCM clustering error. These optimal values are then applied to the testing sets. In Table 1 we present the results of our experiments.

Taking into account that the optimization process was applied to the training datasets, we see that the three optimizers did improve the FCM clustering as the FCM clustering errors of the training datasets for all the datasets, and whatever optimizer is used, are smaller than the errors resulting from using L_1 , L_2 , or L_∞ , as stand-alone distances. However, when comparing the FCM clustering errors on the testing datasets we see that these errors are larger than those obtained when using L_1 , L_2 , or L_∞ , as stand-alone distances.

In order to understand this phenomenon, we investigate whether the learning process has undergone overfitting.

There are several measures in the literature to measure overfitting. We opted for the following simple measure:

$$OF = |E_{train} - E_{test}| \quad (10)$$

Where E_{train} , E_{test} , are the FCM clustering errors on the training set and the testing set, respectively, OF is the overfitting value.

In Table 2 we report the overfitting measures of the three optimizers and for all the datasets on which we conducted our experiments. The results show that there exists evidence of overfitting happening during the learning process. Of the three compared optimizers, GA seems to have suffered the least from overfitting whereas DE has suffered the most. We have to point out, however, that for each dataset

Table 2: The overfitting values of DE, PSO, and GA.

| Dataset | DE | PSO | GA |
|------------------------|------|------|------|
| Beef | 0.12 | 0.10 | 0.13 |
| CBF | 0.21 | 0.21 | 0.19 |
| CinC_ECG_torso | 0.27 | 0.24 | 0.25 |
| Coffee | 0.15 | 0.14 | 0.14 |
| ECG200 | 0.06 | 0.04 | 0.01 |
| ECGFiveDays | 0.05 | 0.04 | 0.05 |
| FaceFour | 0.32 | 0.31 | 0.17 |
| FISH | 0.06 | 0.06 | 0.06 |
| Gun_Point | 0.11 | 0.11 | 0.10 |
| Lighting7 | 0.10 | 0.10 | 0.08 |
| MedicalImages | 0.12 | 0.10 | 0.07 |
| MoteStrain | 0.07 | 0.00 | 0.02 |
| OliveOil | 0.32 | 0.17 | 0.11 |
| OSULeaf | 0.08 | 0.09 | 0.06 |
| SonyAIBORobotSurfaceII | 0.08 | 0.08 | 0.08 |
| SwedishLeaf | 0.02 | 0.11 | 0.10 |
| Symbols | 0.31 | 0.26 | 0.24 |
| synthetic_control | 0.22 | 0.15 | 0.09 |
| Trace | 0.10 | 0.06 | 0.07 |
| TwoLeadECG | 0.16 | 0.14 | 0.12 |
| yoga | 0.05 | 0.05 | 0.00 |

the three optimizers have suffered from overfitting in a similar way (to a certain degree), so the explanation of the results presented in Table 1 can finally be attributed to differences between the training sets and the testing sets.

We have to mention here that during the experiments we also recorded execution time, but we did not report these results for space restrictions. The execution time was clearly in favor of PSO, whereas DE and GA ran at similar speeds.

5 DISCUSSION

There are several counter measures to avoid overfitting. In (Witten and Frank, 2009) the authors suggest using a simplest-first search and stopping when a sufficiently complex concept description is found. In the language of bio-inspired optimization this is translated as terminating the search algorithm earlier, or using fewer parameters. As for the latter idea, the parameters we are using are intrinsic to the problem and their number cannot be reduced. Besides, the number of the parameters in our problem, 3, is already small. As for the former idea, we did conduct experiments (which we did not report here) where *NrGen* was set to 10 and to 20, but we did not see a significant difference in

performance between the results we obtained for these values and those we reported in this paper for which *NrGen* was set to 100. The reasons for the overfitting of the solutions resulting from the FCM clustering might be the nature of the application itself (Muhammad Fuad, 2013)

6 CONCLUSIONS

The application of bio-inspired optimization algorithms to data mining tasks is not trivial given the complexity of these tasks and the stochastic behavior of bio-inspired algorithms. In this paper we applied three widely-used bio-inspired optimization algorithms: differential evolution, genetic algorithms, and particle swarm optimization, to the task of fuzzy *c*-means clustering of time series data, where the aforementioned optimizers were used to obtain the optimal values of the weights assigned to a combination of distance metrics that was used in the FCM clustering of the time series. We showed in the experiments we conducted how, while all the optimizers managed to improve the performance on the training datasets, the improvement dropped when the optimized values of the weights were applied to the testing datasets as a result of the overfitting problem which appeared during the optimization process.

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